

INFLUENCE OF MULTIPLE OVERLOADS ON FATIGUE CRACK GROWTH

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ABSTRACT

The influence of multiple overloads has been studied in a structural steel E36. It is shown that crack retardation increases with increasing the overload ratio and the number of overloads. These results point out the importance of residual stress evolution induced by multiple overloads.

KEYWORDS

Fatigue, mechanisms, overloads, crack growth retardation, crack closure.

INTRODUCTION

In structures, materials suffer a random load history and the fatigue crack propagation depends on the loading sequence. Though the effect of a single peak overload associated with a constant amplitude load history is now well understood (Robin, 1982,1983), the influence of the number of peaks has received very few attention. Vancon (1978) on aluminium alloys, Taïra (1979) and Dahl (1980) have considered this problem.

Schematically, the following points have been observed in our experiments (Fig. 1).

- The lowest crack growth rate $(da/dN)_{min}$ reached during retardation is a decreasing function of the number of overloads (N_p).
- The crack length at which the minimum crack growth rate is reached is practically invariant.
- The distance affected by the retardation is constant (a_d^*) .
- The number of cycles of delay (N_d) increases with the number of overloads.

It is important to notice that two possibilities of crack growth behaviour are observed after overload application. Experimental results of Vancon (1978) indicated that a saturation effect appears and Dahl (1980) noticed the possibilities of crack arrest for high overload ratio ($R_{peak} > 2$).

In order to determine precisely the influence of the number of overload peaks, tests were performed on a structural steel at different R peak ratios (R_p) and K_{max} values.

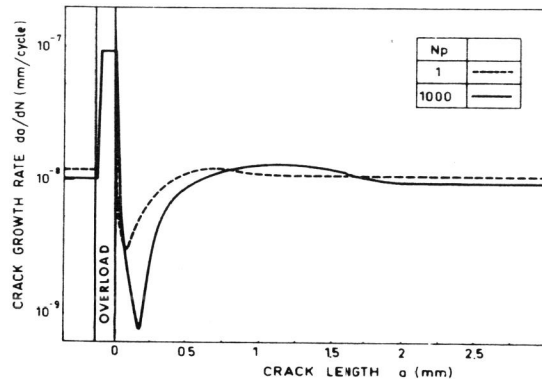


Fig. 1 : Evolution of the crack growth rate

MATERIAL AND EXPERIMENTAL CONDITIONS

Experiments were carried out on a structural steel E36 (AFNOR standard). The chemical and the mechanical properties are listed in Table 1.

TABLE 1 - Chemical composition (weight %) and Mechanical Properties

Chemical Composition (weight %)										
C	Mn	Si	Ni	S	P	Al	Ti	Cr	Cu	Mo
0,14	1,4	0,29	0,42	0,003	0,007	0,02	0,005	0,07	0,07	0,035

Mechanical Properties			
σ_y (N/mm ²)	UTS (N/mm ²)	Elongation to rupture (%)	Reduction in area (%)
380	520	30	64

The tests were run on compact tension specimens of 80 mm width and thickness $B = 15$ mm or $B = 19$ mm. The crack growth rate was measured with an optical microscope ($\times 50$) on one side of the specimen. The crack opening load was determined by a compliance method. Tests were performed with two values of the maximum stress intensity factor $K_{max} = 18 \text{ MPa}\sqrt{\text{m}}$ and $K_{max} = 30 \text{ MPa}\sqrt{\text{m}}$ with a load ratio $R = 0,1$ and an overload ratio $1,6 \leq R_{peak} \leq 2$. After the application of overloads, the initial stress intensity factor was resumed and kept constant within 2% of K_{max} by manual load shedding. High-low tests were also done and were considered to be equivalent to an infinite number of applied overload peaks.

RESULTS

The major effect of increasing the number of overload peaks N_p is to increase retardation. This point is shown in Table 2 where N_d represents the number of cycles of delay ; ΔK_o is equal to $(K_{max} - K_{min})$.

TABLE 2 - Crack growth retardation ($\Delta K_o = 16,2 \text{ MPa}\sqrt{\text{m}}$)

N_p		1	10	35	50	1000	8000
N_d	$R_p = 1,6$	70×10^3	115×10^3	--	130×10^3	190×10^3	--
	$R_p = 2,2$	490×10^3	535×10^3	$1,1 \times 10^6$	crack arrest	--	crack arrest

Crack arrest = no propagation during 2×10^6 cycles

The two rows of Table 2 are for two different R peak ratios and we noticed two different behaviours. For high R peak ratio, crack arrest occurs after several overload peaks ; for low R peak ratio, the retardation reaches a constant value.

According to several models which assume that retardation can be explained by crack closure concept, we have studied the changes in the U ratio during experiments ($U = \frac{K_{max} - K_{op}}{K_{max} - K_{min}}$). A particular attention was given to the minimum value of this ratio U_{min} in order to see if it can be correlated with crack growth decrease and crack arrest. Results can be seen in Table 3.

TABLE 3 - Minimum values of U ratio ($\Delta K_o = 16,2 \text{ MPa}\sqrt{\text{m}}$)

N_p		1	10	35	50	100	500	8000
U_{min}	$R_p = 1,6$	0,74	0,69	--	0,72	0,85	0,61	--
	$R_p = 2,2$	0,74	0,61	0,58	crack arrest	--	--	crack arrest

The variation of the U ratio is not similar to the crack growth rate variation ; U is still decreasing when the crack growth rate begins to increase. In case of crack arrest, the U ratio remains high and different from zero.

In connection with crack growth retardation models, which postulate that the plastic zone (monotonic or cyclic) plays a major role in this phenomenon, we have compared the affected crack length a_d^* and the cyclic overload plastic zone. This plastic zone w_s^c is equal to :

$$w_s^c = \frac{1}{4\pi} \left(\frac{K_{peak} - K_{min}}{\sigma_y^c} \right)^2$$

where σ_y^c is the yield strength measured on cyclic stress-strain curve. In Table 4 we notice that a_d^* is constant and equivalent to the overload plastic zone.

TABLE 4 - Comparison between the cyclic overload plastic zone and a_d^*

Np	1	10	35	1	10	50	100	500
a_d^* (mm)	1,1	1,1	1	1	0,83	0,8	0,8	1,03
w_s^c (mm)	0,92	0,92	0,92	0,68	0,68	0,68	0,68	0,68
R peak = 2,2 $\Delta K_o = 16,2 \text{ MPa } \sqrt{\text{m}}$				R peak = 1,9 $\Delta K_o = 16,2 \text{ MPa } \sqrt{\text{m}}$				

The influence of the maximum base line stress intensity factor for several overload peaks is very similar to that of a single overload peak but with the possibility to obtain crack arrest more easily with smaller K_{max} . Two values of K_{max} (18 $\text{MPa } \sqrt{\text{m}}$ and 30 $\text{MPa } \sqrt{\text{m}}$) were examined and the results are presented as a "delay ratio" N_d/N_c where N_c is the number of cycles needed to propagate over a distance a_d^* (distance which is affected by overload) at constant stress intensity factor range without any overload. This ratio increases significantly for $N_p = 500$ and $K_{max} = 18 \text{ MPa } \sqrt{\text{m}}$ (Table 5).

TABLE 5 - Influence of K_{max} and N_p on the delay ratio N_d/N_c (Rpeak = 1,9)

Np	1	10	50	500
K_{max} (MPa $\sqrt{\text{m}}$)	18	30	18	30
N_d	180×10^3	76×10^3	250×10^3	99×10^3
N_d/N_c	2,16	2,69	3,61	4,89

Taking into account the fact that the initial U value before overload U_o is influenced by K_{max} value (Mille 1979) ($K_{max} = 18 \text{ MPa } \sqrt{\text{m}}$; $U_o = 0,77$) ($K_{max} = 30 \text{ MPa } \sqrt{\text{m}}$; $U_o = 0,91$), the results are presented as a relative change of minimum U value U_{min}/U_o . This ratio decreases with K_{max} and with the number of overload peaks (Table 6).

TABLE 6 - Influence of K_{max} and N_p for Rpeak = 1,9

Np	1	10	50	500
K_{max} (MPa $\sqrt{\text{m}}$)	18	30	18	30
U_{min}	0,74	0,66	0,69	0,61
U_{min}/U_o	-	0,73	0,9	0,67

The maximum stress intensity factor range evidently influences the cyclic overload plastic zone w_s^c and consequently a_d^* . This behaviour is shown in Table 7.

TABLE 7 - Influence of K_{max} on the distance a_d^* (Rpeak = 1,9).

Np	1	10	50	500
K_{max} (MPa $\sqrt{\text{m}}$)	18	30	18	30
a_d^* (mm)	1	2,15	0,83	2,05
w_s^c (mm)	0,68	1,89	0,68	1,89

The main point is to consider the effect of the R peak ratio on retardation when the number of overload peaks is increased. For a large number of overloads, the way to obtain crack arrest is to increase R peak. For 1000 overloads, a value of R peak greater than 1,9 is necessary (Table 8). This phenomenon can be seen in Fig. 2 where two asymptotic behaviours are observed.

TABLE 8 - Influence of R peak on the crack growth retardation

Np	1	10	50	1000
Rpeak	1,6	1,9	2,2	1,6
N_d	70×10^3	180×10^3	490×10^3	115×10^3
	250×10^3	535×10^3	130×10^3	330×10^3
	arrest	190 $\times 10^3$	arrest	arrest

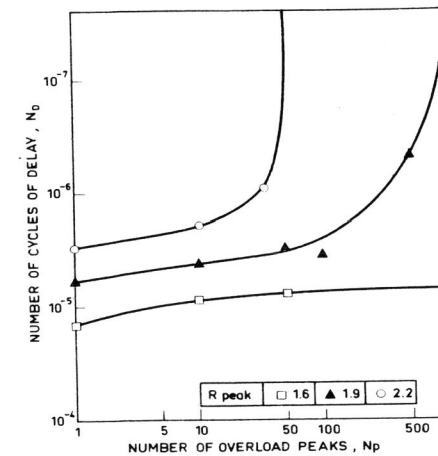


Fig. 2 : Effect of R peak ratio on the delay when the number of overload peaks is increasing.

DISCUSSION

The following assumptions are generally adopted to explain the influence of the number of overload peaks : the crack closure concept and the residual stresses.

- according to our results the crack closure concept cannot explain retardation since the evolutions of the crack growth rate and the U ratio are not similar. This situation is identical to that produced by a single overload (Robin, 1983).
- The models based on residual strains and stresses at the crack tip (the crack closure is produced by the residual strains and stresses located both in the plastic zone wake and ahead of the crack tip) are generally more reliable to explain the retardation (Robin, 1982). A modification of the residual state of stress and strain during the overload sequence could be attributed to the modification of the cyclic constitutive equation. A particular attention was given to the cyclic stress-strain curve in the period before getting stabilization of the cyclic properties. The E36 steel strain hardens in a complex manner so that the stabilized hysteresis loop is obtained after a number of cycles which depends on the strain range (Fig. 3). The yield strengthes defined conventionally at 0,2% and 1% of strain are listed in the same figure.

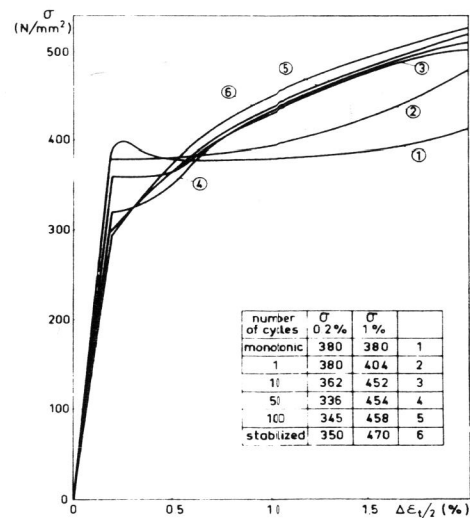


Fig. 3 : Evolution of the stress-strain curve.

A rough idea of the actual situation can be obtained by considering the material rigid perfectly plastic with an evolutive plastic flow. A more sophisticated approach can be used as in reference (Glinka, 1984). The evolution of the overload plastic zone due to 8000 overload peaks is shown

in Fig. 4. The evolution is small and suggests that the modification of the stress and strain intensities should be more important than the modification of the plastic zone size.

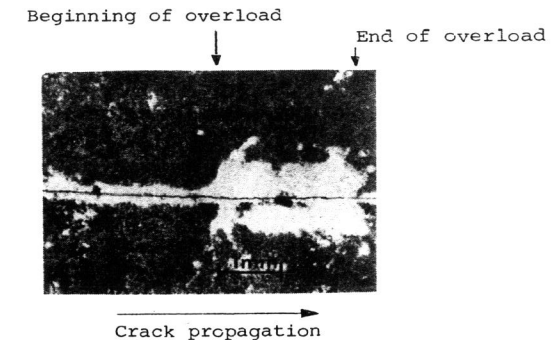


Fig. 4 : Overload plastic zone due to 8000 overload peaks. (Metallographic etch)

- The saturation at low R peak value ($R_{\text{peak}} \leq 1,9$) can be associated with the modification of the cyclic properties.
- The possibility of crack arrest can also be associated with a residual stress model. The R peak values for which we can get crack arrest, produce an overload cyclic plastic zone which is equivalent or larger than the base line monotonic plastic zone. In this situation, the compressive residual stresses should be more important so that they can annihilate the tensile applied stress and stop the crack more easily ($R_{\text{peak}} = 1,9$ for $N_p = 1000$). For a single overload crack arrest is obtained at higher R peak ratio $2,8 < R_{\text{peak}} < 3,1$.

CONCLUSION

The influence of the number of overload peaks has been studied in a structural steel E36 and the parameters K_{max} , R_{peak} and N_p have been examined. The following points are to be noticed :

- the larger the number of overloads is, the larger the delay is and the lower the minimum crack growth rate $(da/dN)_{\text{min}}$ reached during retardation is.
- the crack length after overload at which $(da/dN)_{\text{min}}$ is reached and the distance affected by retardation are both practically constant.
- two crack growth behaviours are observed after overload application depending on the R_{peak} ratio for an increasing number of overloads : crack arrest possibility or saturation effect (the increase of overloads doesn't increase the delay).

The crack closure concept being not satisfactory to explain retardation, the influence of the number of overload peaks should be associated with the evolution of the cyclic properties before stabilization by using a residual stress model of crack growth retardation.

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