FRACTURE TOUGHNESS K_{IVM} MEASUREMENT OF NON-BRITTLE METALLIC MATERIALS BY "CHEVRON NOTCH" SPECIMENS

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ABSTRACT

The aim of this research is to extend the K_{IvM} fracture toughness measurement method to non perfectly brittle metallic materials. Many experiments on tough Steels, Aluminium and Titanium alloys showed that the measured K_{IvM} is strongly dependent on specimen size. Increasing specimen size measured K_{IvM} also increases.

This phenomenon is coherent and may be explained by the rising R-curves of these materials. In fact, in a bigger specimen, unstable crack propagation takes place after a larger stable crack propagation. In the cases of materials with rising R-curves, measured K_I values corresponding to larger crack propagations are higher.

In order to obtain in each material an experimental K_{IvM} value not higher than the valid K_{IC} (ASTM E399), the "chevron notch" specimen size must not exceed a certain value. A validity condition about the maximum size of "chevron notch" specimens to obtain measured K_{IvM} values not higher than the valid K_{IC} in Steels, Aluminium and Titanium alloys is proposed. This validity condition is based on the concept that, in order to obtain a $K_{IvM} \leq K_{IC}$, the stable crack propagation in K_{IvM} measurement must not exceed the admissible stable crack propagation in the valid K_{IC} measurement. It brings to the condition that the thickness B of the "chevron-notch" specimen must not exceed the value:

$$B \leq C (K_{IvM} / \sigma_{ys})^2$$

where: C is a constant ranging from 0.215 to 0.538, depending on the toughness of the material and σ_{ys} is the 0.2% offset tensile yield strength.

Many tests have been performed on Steels, Aluminium ad Titanium alloys in order to obtain, for each material, a correlation between the fracture toughness and the value of the constant C. A linear correlation between the constant C and the plastic zone radius has been found.

1 INTRODUCTION

Fracture toughness K_{IvM} measurement using "chevron-notch" specimens, according to [1], is a very useful and simple method in order to obtain quick results, avoiding the long and tiring precracking procedure. In brittle materials, K_{IvM} [1] and K_{IC} [2] values are similar and quite independent on specimen size. The aim of this research is to extend K_{IvM} fracture toughness measurement method [1] to non perfectly brittle metallic materials; a new validity condition, based on "Chevron-notch" specimen size, in order to obtain K_{ivM} results not higher than valid K_{IC} is proposed. In the case of non-brittle materials, the validity condition, involving specimen size, proposed in [1]:

$$B \ge 1.25 (K_{IVM} / \sigma_{vs})^2$$

has no mean and carries to obtain fracture toughness K_{IvM} values much higher than corresponding valid K_{IC} .

Many tests on tough Steels, Aluminium and Titanium Alloys showed that the measured K_{IvM} is strongly dependent on specimen size. Increasing specimen size, measured K_{IvM} also increases [4],[5],[6]. This phenomenon is coherent and may be explained by the rising R-curves of these materials.

2 R-CURVE EFFECT ON KIVM MEASUREMENT

In a bigger "chevron-notch" specimen, unstable crack propagation takes place after a larger stable crack propagation. In the case of materials with rising R-curves, K_I values corresponding to larger crack propagations are higher. In order to obtain a K_{Iv} [1] value coherent with a valid K_{IC} [2], stable crack propagation must to by about the same in both tests. If we wont that the measured value of K_{Iv} don't exceed the valid K_{IC} of each material we must impose that the stable crack propagation in the "chevron-notch" specimen don't exceed the one of the valid K_{IC} specimen. This condition may be written in the form:

$$\Delta a_{\text{critic}}(\mathbf{K}_{\text{IvM}}) \le \Delta a_{\text{critic}}(\mathbf{K}_{\text{IC}})$$
(1)

In a valid K_{IC} test of a quasi-brittle material, the stable crack propagation, corrected by the plastic zone radius and the border effect, must be not greater than 5% of the original crack length a_c :

$$\Delta a_{\rm c}(K_{\rm IC}) \le 0.05 \times 2.5 (K_{\rm IC} / \sigma_{\rm ys})^2 = 0.125 (K_{\rm IC} / \sigma_{\rm ys})^2 \tag{2}$$

This condition may be transformed in the well-known formula [2]:

$$B \cong a_c \ge 2.5 (K_{IC} / \sigma_{vs})^2$$

where σ_{ys} is the effective yield strength and B is the specimen thickness. If we take in account only the 2% stable crack propagation, we obtain:

$$\Delta a_{c}(K_{IC}) \le 0.02a_{c} = 0.02 \times 2.5(K_{IC} / \sigma_{ys})^{2} = 0.05(K_{IC} / \sigma_{ys})^{2} (3)$$

In K_{IvM} tests, the critical crack length a_c , corresponding to the maximum applied load, is: $a_c = 0.5W$. In the bar specimens with standard proportions [1], the initial crack length (distance to chevron tip) is: $a_o = 0.33W$ and the thickness is: B = 0.69W. Thus: $a_o = 0.33B/0.69 = 0.48B$; $a_c = 0.5B/0.69 = 0.725B$ and:

$$\Delta a_{\rm c}(K_{\rm IvM}) = a_{\rm c} - a_{\rm o} = (0.725 - 0.48)B = 0.245B \quad (4)$$

2.1 Quasi-brittle materials.

In K_{IvM} tests, because of the sharp grooves of specimen, the border effect is absent and the plastic zone may be neglected, in this case, while in K_{IC} specimens these effects are present.

Comparing equations (4) and (2), the condition (1) becomes: $0.245B \le 0.125(K_{IC} / \sigma_{ys})^2$; thus:

$$B \le 0.51 (K_{IC} / \sigma_{ys})^2$$

2.2 Tough materials

In this case, the sharp grooves of "chevron-notch" specimen are not able to avoid an important plastic zone, comparable to the one in the compact K_{IC} specimen. Comparing equations (4) and (3), the condition (1) becomes: $0.245B \le 0.05(K_{IC} / \sigma_{ys})^2$; thus:

$$B \le 0.204 (K_{IC} / \sigma_{vs})^2$$

The validity condition may be written in the general form:

$$B \le C(K_{\rm IC} / \sigma_{\rm vs})^2 \tag{5}$$

where the constant C (varying from 0.2 up to 0.5) depends on material toughness. The aim of experimental tests is to find a relationship between C values and mechanical characteristics of some categories of metallic materials.

3 EXPERIMENTAL RESULTS

Tested materials were: 5 steels, 3 Aluminium alloys and one Titanium alloy.

- Steels: 20CrNi4 (Full anneal), 20CrNi4 (Hardening & Tempering 240°C), 28NiCrMoV12 (Normalized), C43 (Hardening & Tempering 300°C), 38NiCrMo4;
- Aluminium alloys: 6061 (Anticorodal 61; T6 condition), 6061 (Solution treatment), 6082 (Anticorodal 100; T6 condition);
- Titanium alloy: 550.

For each material, three types of specimens were tested:

- *i*) K_{IC} compact specimens: 1TCT up to 5TCT, [2]
- *ii)* " K_{IvM} " specimens: B = 6.25 (except Al alloys), 12.5, 25, 50 mm, [1]
- *iii)* R-Curve specimens: B = 6.25 and 12.5 mm [3].

Experimental results are summarized in table 1.

Table 1. Experimental results											
Chevron 1/4"		Chevron 1/2"		Chevron 1"		Chevron 2"		СТ		-	
K _{ivM}	Δa	K _{ivM}	Δa	K _{ivM}	Δa	K _{ivM}	Δa	K _{IC}	Δa	$\sigma_{\rm Y}$	
[MPa√m]	[mm]	[MPa√m]	[mm]	[MPa√m]	[mm]	[MPa√m]	[mm]	[MPa√m]	[mm]	[MPa]	
20CrNi4 – Full Anneal											
66	1.45	116	2.9	172	5.8	188	11.6	68 (1T)	1.28	470	
20CrNi4 – Hardening & Tempering 240°C											
-	1.45	129	2.9	134	5.8	142	11.6	99 (1T)	1.31	1020	
28NiCrMoV12											
116	1.45	152	2.9	211	5.8	298	11.6	135 (5T)	3.08	670	
	C43										
-	1.45	81.6	2.9	108.2	5.8	134.6	11.6	82.3 (1T)	1.26	450	
	38NiCrMo4 -										
-	1.45	106.5	2.9	128.7	5.8	137.5	11.6	96.8 (1T)	1.28	650	
550 Titanium Alloy											
80.7	1.45	98.7	2.9	-	-	-	-	73.5 (1T)	1.32	830	
6061 Aluminium Alloy (Anticorodal 61) – (T6 Condition)											
-	-	21.8	2.9	70.8	5.8	53.2	11.6	36.1	1.28	-	
6061 Aluminium Alloy (Solution Treatment)											
-	-	21.9	2.9	38.9	5.8	50.0	11.6	27.8	1.35	120	
6082 Aluminium Alloy (Anticorodal 100) – (T6 Condition)											
-	-	42.2	2.9	22.3	5.8	58.51	11.6	35.8	1.23	310	

In all cases, increasing the thickness of "chevron notch" specimens, corresponding measured K_{IvM} value is higher, according to R-curve trends [3]. Some examples of obtained results are shown in figs. 1, 2 and 3. It may be noted that very small "chevron notched" specimens are able to measure the same K_I value obtained by big CT specimens. A limit case is the 28NiCrMoV12 steel; a 12,5 mm thick "chevron notched" specimen gives the same result of a 150 mm thick CT specimen.

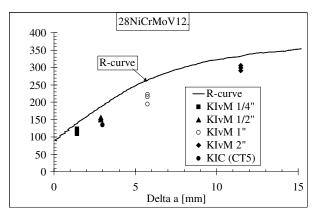


Fig. 1. R-Curve and K_I values of 28NiCrMoV12 Steel.

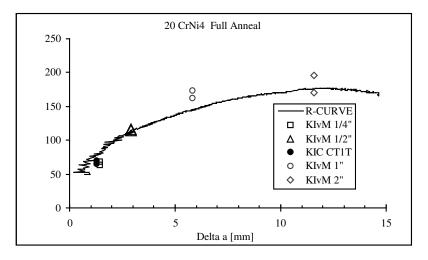


Fig. 2. R-Curve and K_I values of 20CrNi4 Steel.

For each tested material the thickness B^* of the K_{IvM} specimen giving the same value of K_{IC} test has been found, by linear interpolation, and the constant C has been calculated as:

$$C = B^* / (K_{IC} / \sigma_{ys})^2.$$

Obtained C values are plotted vs $(K_I/\sigma_{ys})^2$ in Fig. 4. C values for Steels and C values for nonferrous materials may be linearly interpolated, and two relations may be found.

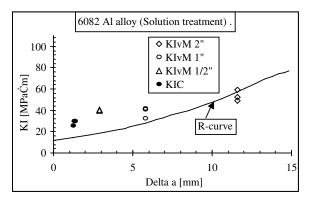


Fig. 3. R-Curve and K_I values of 6082 Aluminium alloy.

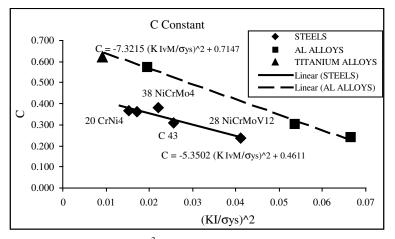


Fig. 4. Constant C vs $(K_I/\sigma_{ys})^2$ for Steels and for Aluminium or Titanium alloys.

It means that constant C, depending on fracture toughness of each material, is linearly dependent on the radius r_y of the plastic zone, proportional to $(K_{IC}/\sigma_{ys})^2$. Increasing the fracture toughness of material, also increases the plastic zone radius, that is the factor $(K_{IC}/\sigma_{ys})^2$, and the value of the constant C tends to the one supposed: C = 0.204.

After each K_{IvM} test, with a B thick "chevron-notch" specimen, the validity condition must be checked:

$$B \le C(K_{IvM} / \sigma_{ys})^2,$$

where C may be calculated as:

$$\begin{split} C &= -5.3502 (K_{IvM} \,/\, \sigma_{ys})^2 + 0.4611 \quad \text{for steels, and} \\ C &= -7.3215 (K_{IvM} \,/\, \sigma_{ys})^2 + 0.7147 \quad \text{for Al and Ti alloys.} \\ \text{If it occurs, the } K_{IvM} \text{ is not greater than the valid } K_{IC}. \end{split}$$

4 CONCLUSIONS

- In the case of brittle materials, with a flat R-curve, increasing the thickness of "chevron notch" specimens, measured K_{IvM} decreases or remains constant and is near to the "true" K_{IC} . Validity condition about the specimen thickness, proposed by ASTM [1] is meaningful.
- In the case of tough materials, measured K_{IvM} increases with specimen thickness. This is coherent with the rising R-curve of these materials.
- In this case, proposed validity condition about specimen thickness: $B \le C(K_{IvM} / \sigma_{ys})^2$, allows to obtain K_{IvM} measured values not greater than a valid K_{IC} for each material.
- The constant C is linearly dependent on the radius r_y of the plastic zone, proportional to $(K_{IC}/\sigma_{yx})^2$.
- The extreme values experimentally found for the constant C are coherent with theoretical values supposed in relation to different fracture toughness of materials.
- In many cases, required "chevron-notch" specimen size is very small. This can be an advantage in terms of saving of material but a limitation in terms of difficulty in working and testing specimens.
- Further tests on other Steels, Aluminium, Titanium and Copper Alloys, must be performed to confirm these first interesting results.

5 REFERENCES

[1] American Society for Testing and Materials, "Standard Test Method for Plane-Strain (Chevron-Notch) Fracture Toughness of Metallic Materials", ASTM E 1304-97.

[2] American Society for Testing and Materials, "Standard Test Method for Plane-Strain Fracture Toughness of Metallic Materials", ASTM E 399-97.

[3] American Society for Testing and Materials, "Standard Practice for R-Curve Determination", ASTM E 561-94.

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[5] J. Eschweiler, G. Marci, D. G. Munz, "Fracture toughness of an Aluminium alloy from shortbar and compact specimens", ASTM STP 885, 1983.

[6] J. L. Shannon, Jr., D. G. Munz, "Specimen size and geometry effects on fracture toughness of Aluminium oxide measured with short-rod and short-bar chevron-notched specimens", ASTM STP 885, 1983.