Fatigue crack growth in a metastable austenitic stainless steel

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Abstract Fatigue crack growth in a metastable austenitic stainless steel was investigated in thin specimen under positive stress ratio. Annealed conditions were used to test the influence of the microstructure. The influence of load ratio on propagation threshold and propagation behavior was analyzed using the Elber’s closure approach, the Donald and Paris partial crack closure and the empirical Kujawski ($\Delta K K_{max}$)$^\alpha$ parameter. Results show that load ratio effects are not completely explained by these approaches. It was found that the threshold of the material in the annealed condition depends on the load history, especially when the load ratio is low. It seems that the amount of martensite transformation is responsible for the observed differences in fatigue crack growth resistance.

Keywords: Fatigue, crack propagation, thresholdMetastable austenitic stainless steel

1. Introduction

In the last years, the competitiveness in the automotive sector and the compliance with higher environmental standards has forced the development of new light-weight materials. One of the materials that fulfill with the exigencies of automotive sector are the metastable stainless steels because of they combine good corrosion resistance with versatile mechanical properties [1,2]. Due to his high ultimate strength, metastable stainless steel allows the use of components of less thickness. One of the more important aspects in the automotive sector is the design against fatigue damage. Traditionally, the approach to fatigue design based on the cyclic stress range $\Delta \sigma$ has been used [3]. However, thin walled light components must be designed using more conservative approach, based mainly in linear elastic fracture mechanics.

AISI 301LN steels belong to the metastable austenitic steels and have an austenitic structure in annealed conditions which confers them an excellent ductility. Besides, they have an extraordinary strain hardening because of the transformation of austenite to martensite during deformation. This particular class of steels are called TRIP steels [4]. Significant researches have been conducted on the fatigue behavior of TRIP steels [4-12], and depending of the testing condition, different behaviors have been reported. In the high cycle (HCF) regime, i.e. test under load control or test under K control, the conclusion of the studies show that exists a relationship between the martensitic transformation around the crack tip and the decrease in the fatigue crack growth rate (FCGR) [4-8,10,12], with the exception of reference [9], where it attributed the decrease in the FCGR to the slip characteristic rather than the martensitic transformation. Until now various mechanisms have been proposed trying to explain how the martensitic transformation can affect the FCGR. However, there is no mechanism that can explain satisfactorily the effect of the martensitic transformation over the FCGR having accounted the entire picture of the stress state.

The most recurrent mechanism to explain the crack growth retardations in fatigue is the crack closure, which was introduced by Elber in 1971 [13], after observing that fatigue crack surfaces contact under cyclic tensile loading. Even direct measurements have not been achieved, is felt that the martensitic transformation cause crack closure because of the involved volume expansion of 1-4% [14]. The first mechanism used to explain the premature contact between the faces of the crack is the plasticity induced crack closure. However, others mechanisms induced crack closure...
have been identified, as oxide induced crack closure or roughness induce crack closure. The vast majority of mechanisms to explain crack closure are explained, for instance, in the book “Fatigue of Material” written by S.Suresh [3]. Traditionally, in some expression obtained from experimental investigations have been indicated that the crack opening stress intensity factor $K_{op}$ is only function of the stress ratio $R$ [13,15]. However, some authors recognized that $K_{op}$ is also influenced by the specimen geometry, the stress state, the stress intensity factor range and the environment. Some models have been theoretically developed in order to explain how the crack opening stress is influenced by the stress ratio $R$, the maximum applied stress or load level $P_{max}$, and the crack front constraint (plane stress or plane strain behavior).

In this work the fatigue crack growth behavior of an annealed metastable austenitic stainless steel was investigated in thin specimen under positive stress ratio. The influence of load ratio on propagation threshold and propagation behavior was analyzed using the Elber’s closure approach, the Donald and Paris partial crack closure approach and the empirical Kujawski ($\Delta K\cdot K_{max})^\alpha$ parameter. Results are analyzed in order to look for answers about the influence of the martensitic transformation on the fatigue behavior of this kind of steel and for a unique relationship between fatigue crack propagation rate and the applied driving force.

2. Experiments

The material utilized in the current study was an annealed austenitic stainless steel AISI 301LN provided by OCAS NV, Arcelor-Mittal R&D Industry Gent (Belgium) The chemical composition of this material is shown in Table 1. The microstructure of the material is shown in figure 1. The $\alpha'$martensite content was calculated by mean of X-ray diffraction and results showed that the martensite content was less than 2%.

<table>
<thead>
<tr>
<th>AISI 301LN</th>
<th>FE</th>
<th>Cr</th>
<th>Ni</th>
<th>Mo</th>
<th>C</th>
<th>Si</th>
<th>P</th>
<th>S</th>
<th>Mn</th>
<th>Cu</th>
</tr>
</thead>
<tbody>
<tr>
<td>Annealed</td>
<td>bal</td>
<td>17.94</td>
<td>6.30</td>
<td>0.18</td>
<td>0.016</td>
<td>0.513</td>
<td>0.032</td>
<td>0.005</td>
<td>1.481</td>
<td>0.135</td>
</tr>
</tbody>
</table>

Figure 1. Microstructure of annealed AISI 301LN stainless steel

<table>
<thead>
<tr>
<th>$\sigma_{YS}$</th>
<th>$\sigma_{UTS}$</th>
<th>Elongation (Pct)</th>
<th>$M_s$ (°C)</th>
<th>$M_d30$ (°C)</th>
<th>$M_d$ (°C)</th>
</tr>
</thead>
<tbody>
<tr>
<td>343 MPa</td>
<td>973 MPa</td>
<td>39.39</td>
<td>-66.015</td>
<td>49.042</td>
<td>100*</td>
</tr>
</tbody>
</table>

*For AISI 301 stainless steel.

Single edge notch test specimen (SENT) of 1 mm thickness and a width of 35 mm and 40 mm, were
machined with the rolling direction parallel (T-L) and perpendicular (L-T) to the notch. The specimens were fatigued in air and at room temperature.

The FCGR test were conducted in an Instron’s servo-hydraulic machine with closed loop to computers for automatic test control and data acquisition. The crack extension was measured with a krak-gages® technique, which is principally an indirect DC potential measurement procedure. The krak-gages® theory is explained in reference [16]. For instance, the crack gauge KG-B20, whose full scale is 20 mm, has a sensitivity of measurement to crack extension that is better than 0.02 mm [17]. The crack extension was also measured using the compliance technique by means of a clip gage in the crack mouth and a strain gauge fixed in the back surface.

The crack closure measurement were made by using a sampling rate of 400 data pairs (load and displacement) per cycle according to some of the recommendations made by Song et al. [18]. The signal noise was reduced by using low-pass digital filters [19]. The determination of the opening force was done by comparing slope segments of 10 percent of the load-displacement data with the linear region of the load-displacement curve.

The fatigue tests were performed at a frequency of 20 Hz. Three different values of load ratio \( R (=\frac{\sigma_{\text{min}}}{\sigma_{\text{max}}}) \) 0.1, 0.3, 0.5, 2 different stress level at the same load ratio, and 3 decreasing \( \Delta K \) at different load ratio were employed. For \( \Delta K \) decreasing test the rate of force shedding with increasing crack size was according to the ASTM standard (20). The details of the experiments are listed in table 3.

The martensite transformation around the crack tip was observed by optical microscopy. The material was ground in the surface where the fatigue crack was going to appear with SiC emery paper up to a roughness of 1200 grit and then polished. Because of the mechanical grinding can induce martensitic transformation, the material was electro-polished with a solution consisting of 5vol% perchloric acid and 95% ethanol at 45V for 15 s. The martensitic phase was revealed by chemical etching in a solution of 100 ml ethanol, 20 ml HCl, 1.5 g \( \text{K}_2\text{S}_2\text{O}_5 \) and 2 g \( \text{NH}_4\text{F} \cdot \text{HF} \). The electro-polished was used until no peak (100) (200) (211) (\( \alpha' \)martensite peak according to M. Karimi et al [21]) was found by X-ray diffraction.

### Table 3. Details of test configuration

<table>
<thead>
<tr>
<th>Specimen</th>
<th>( R (\frac{\sigma_{\text{min}}}{\sigma_{\text{max}}}) )</th>
<th>Load level [N] ( (P_{\text{max}}-P_{\text{min}}) )</th>
<th>Notch [mm]</th>
<th>Test Type</th>
<th>( w ) [mm]</th>
<th>( C ) [mm(^{-1})]</th>
</tr>
</thead>
<tbody>
<tr>
<td>1 NL2</td>
<td>0.5</td>
<td>2625</td>
<td>8.729</td>
<td>Constant amp. load</td>
<td>35</td>
<td>-</td>
</tr>
<tr>
<td>2 NL3</td>
<td>0.1</td>
<td>2625</td>
<td>8.600</td>
<td>Constant amp. load</td>
<td>35</td>
<td>-</td>
</tr>
<tr>
<td>3 NL4</td>
<td>0.1</td>
<td>1815</td>
<td>13.817</td>
<td>Constant amp. load</td>
<td>35</td>
<td>-</td>
</tr>
<tr>
<td>4 NL6</td>
<td>0.3</td>
<td>1890</td>
<td>14.020</td>
<td>Constant amp. load</td>
<td>35</td>
<td>-</td>
</tr>
<tr>
<td>5 NL7</td>
<td>0.7</td>
<td>2625</td>
<td>8.927</td>
<td>Constant amp. load</td>
<td>35</td>
<td>-</td>
</tr>
<tr>
<td>6 NL9</td>
<td>0.1</td>
<td>variable</td>
<td>9.777</td>
<td>( \Delta K ) decreasing</td>
<td>40</td>
<td>-0.08</td>
</tr>
<tr>
<td>7 L3G</td>
<td>0.5</td>
<td>variable</td>
<td>11.55</td>
<td>( \Delta K ) decreasing</td>
<td>40</td>
<td>-0.065</td>
</tr>
<tr>
<td>8 NNL4</td>
<td>0.7</td>
<td>variable</td>
<td>9.088</td>
<td>( \Delta K ) decreasing</td>
<td>35</td>
<td>-0.055</td>
</tr>
<tr>
<td>9 NNL7</td>
<td>0.7</td>
<td>variable</td>
<td>8.897</td>
<td>( \Delta K ) decreasing</td>
<td>35</td>
<td>-0.09</td>
</tr>
<tr>
<td>10 NNL1</td>
<td>0.5</td>
<td>variable</td>
<td>8.912</td>
<td>( \Delta K ) decreasing</td>
<td>35</td>
<td>-0.08</td>
</tr>
</tbody>
</table>
3. ΔK expressions

In situations where the linear elastic fracture mechanics theory (LEFM) is valid the crack driving force is traditionally represented by using the stress intensity factor ΔK. For the specimen type used in this investigation and for the grid constraint of our test’s machine, the stress intensity factor for the specimen of this investigation is not tabulated in books, therefore the finite element method (FEM) was employed to obtain the value of the stress intensity factor. Figure 2 shows the ΔK solutions used for the two configurations that have been used for test. The typical solution available in literature for SENT specimens is also shown and the difference in the given K values for a given crack length can be clearly observed. The curve was normalized by dividing the stress intensity factor by the applied stress and the crack length by the specimen length.

![Figure 2. Stress intensity factor obtained by finite element models for the used configurations.](image)

4. Experimental Results

4.1. Results using the range of the stress intensity factor

The fatigue crack growth rates of austenitic stainless steel 301LN at room temperature, at 3 different load ratios and different load levels are shown in Fig. 3(a). For all test conditions the crack growth rate increases with increase in ΔK. The curves show a trend that can be considered linear with positive and constant slope. The influence of load level is negligible, in spite of we found some papers that mention that some austenitic stainless materials in specimen with thin section [7,22] suffer the influence of stress level on fatigue crack growth rate.
The influence of R values on near threshold crack growth rates is shown in Fig. 3(b). It can be seen how the $\Delta K_{th}$ decreases with the increment in load ratio. The values of $\Delta K_{th}$ are relatively high, especially at R = 0.1 and R = 0.5, in comparison with other austenitic stainless steel alloys or even other steel alloys. However, the results are not surprising, according to the results found for other austenitic stainless steel that are shown in the table of Fig. 3(b), where it can be observed that materials with martensitic transformation and/or in conditions of plane stress, produce high thresholds.

4.2. Results using the effective stress intensity factor

The fatigue crack growth rate was plotted also by using the conventional Elber’s approach and defining the effective stress intensity range as:

$$\Delta K_{eff} = K_{max} - K_{op}$$  (1)

Fig. 4 shows the obtained results. They show that in the stable region (far from thresholds) the crack closure is practically constant in the total range of crack propagation for the same test. It is only observes the same average value of $S_0/S_{max} \approx 0.35$ for both cases at low load ratio (R = 0.1 and 0.3). The analysis was based in the work of J. Song et al [18], from which the offset criterion that better estimate load ratio effects in the Paris region is 4% (this analysis will be detailed in a paper that will be soon submitted for publication).

Fig. 5 shows the correlation obtained using Eq. (1) for the near threshold behavior. It shows that with the use of crack closure concepts the curves move closer each other but it is still not possible to join them in a unique curve. In this region of slow growth rate the relation of $K_{op}/K_{max}$ increase with decreasing the range of the stress intensity factor (approaching the threshold).

4.3. Results using the Donald’s effect

The original concept of crack closure indicates that the crack cannot grow if the crack is not fully open. However Donald and coauthors have shown that the interference of crack faces does not
shield completely the crack tip from fatigue damage [23]. Based on this concept, Donald proposed to calculate an effective stress intensity factor range as:

$$\Delta K_{z/P} = \Delta K_{app} - \frac{2}{\pi} (K_{op} - K_{min})$$  (2)

This is one of several methods that have been used to estimate $\Delta K_{eff}$, although this method distinguishes over other because of his simplicity and because has provided successful correlation of the crack growth rate data for aluminum alloys. Fig. 6 shows the fatigue crack growth rate as a function of the effective stress intensity factor proposed by Donald. It can be observed that for our analyzed material the Donald’s effect does not provide a better correlation of the R-ratio effects than the traditional $\Delta K_{eff}$ calculated by using the Eq. (1).

Figure 5. Fatigue crack growth rate as a function of the effective stress intensity factor

Figure 6. Fatigue crack growth rate as a function of the effective stress intensity factor proposed by Donald et al. (a) in the stable crack propagation region and (b) in the near threshold region.

4.3. Results using the Kujawski’s Parameter

To explain the load ratio effects in fatigue crack growth, and because of the inconsistency in the measurement of crack closure and the difficulties to determine the fatigue damage associated to a crack partially open, Kujawski proposed a crack driving force parameter that is calculated by using
$K_{\text{max}}$ and $\Delta K$ [24] as follow:

$$K^* = (K_{\text{max}})^\alpha(\Delta K)^{1-\alpha}$$  \hspace{1cm} (3)

Where $\Delta K$ is the positive part of the range of the applied stress intensity factor. This parameter is characterized, among other things, by the use of two separate variables that could describe unambiguously the load cycle at least if the load ratio is positive and $K_{\text{max}}$ is greater than 0, like in the present case. The $\alpha$ value is a factor that determines the importance of $K_{\text{max}}$ or $\Delta K$ and it is calculated by means of the following expression:

$$\alpha = \frac{\log(\Delta K_1/\Delta K_2)}{\log((1-R_1)/(1-R_2))}$$ \hspace{1cm} (4)

Figure 7. Fatigue crack growth rate as a function of the Kujawski’s parameter with $\alpha$ equal to 0.6.

Using Eq. (4) the average $\alpha$ value, for the AISI 301 LN in the Paris region, was equal to 0.6. This was the same $\alpha$ value found for the metastable austenitic stainless steel AISI 304L tested at 77K [8], although in that case the scatter was higher. Fig. 7 shows the correlation obtained by plotting the fatigue crack growth rate vs the Kujawski’s parameter far from the threshold region. It is seen that kujawski’s parameter can unify the curves of the test performed to constant load ratio into a master curve that can be described by using Eq (5) with $C = 1.33 \times 10^{-11}$ [mm/cycle MPa m^{0.5m}] and $m = 3.619$.

$$\frac{da}{dN} = C(\Delta K^{1-\alpha}K_{\text{max}}^\alpha)^m$$ \hspace{1cm} (5)
The same parameter $\alpha$ that was found to correlate the fatigue crack growth rate curves in Fig. 7 has been used to analyze the near threshold region, and results are shown in Fig 8(a). It can be observed that in this case the approach cannot success as in Fig. 7. Fig.8(b) shows results obtained by using an $\alpha$ value equal to 0.5. Even though results seem to be somehow better, the approach does not success.

It is interesting to note that the value of $\alpha$ parameter calculated for the AISI 301LN decrease with the decrease of the stress intensity factor range and/or with the decrease of the martensite content. This result agree with those of the work of S.Kalnaus et al [11], were they estimated an $\alpha$ parameter equals to 0.36 for an austenitic steel without transformation. According to our measurements, the martensite content decreases in the near threshold region of crack propagation with respect to measurement made in the relative high $\Delta K$ fatigue crack propagation region. It is clear that further and more detailed analyses are needed in order to explain the influence of the load ratio $R$ in this region.

5. Concluding remarks

Fatigue crack growth of annealed metastable austenitic stainless steel was investigated in thin specimen under positive stress ratio. The influence of load ratio on propagation threshold and propagation behavior was analyzed using the Elber’s closure approach, the Donald and Paris partial crack closure and the empirical Kujawski ($\Delta K \cdot K_{\text{max}}^\alpha$) parameter.

Results show that load ratio effects are not completely explained by these approaches. The crack closure effect approaches (both, the traditional Elber approach and its modification by Donald and Paris) cannot explain the influence of the stress ratio $R$ on the fatigue crack propagation rate on the analyzed thin specimens of a TRIP material.

The two parameter crack driving force ($\Delta K \cdot K_{\text{max}}^\alpha$, with $\alpha = 0.6$, seem to be a proper parameter to uniquely explain the fatigue behavior of the analyzed TRIP steel for positive $R$ ratios far from the threshold region. However, it seems to fail in the threshold region, where the crack closure levels are important, and a unique $\alpha$ value cannot be found. So, further investigation should be carried out in order to explain these results.

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References


